| 1 | (i) | (A) | Distance travelled = Area under the graph $\frac{1}{2} \times 4 \times 8+\frac{1}{2} \times 4 \times(8+12)+4 \times 12$ $104 \text { m }$ | $\begin{aligned} & \text { M1 } \\ & \text { M1 } \\ & \text { A1 } \end{aligned}$ | Attempt to find area <br> Splitting into suitable parts <br> Cao <br> Allow all 3 marks for 104 without any working |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | (i) | (B) | Either <br> Working backwards from distance when $t=12$ $\begin{aligned} & 12-\frac{(104-100)}{12} \\ & 11.67 \mathrm{~s} \end{aligned}$ | $\begin{aligned} & \text { M1 } \\ & \text { M1 } \\ & \text { A1 } \end{aligned}$ | Allow this mark for 0.33... Follow through from their total distance Сао |
|  |  |  | Or <br> Working forwards from when $t=8$ $\begin{aligned} & 8+\frac{(100-56)}{12} \\ & 11.67 \mathrm{~s} \end{aligned}$ | M1 <br> M1 <br> A1 | Allow this mark for 3.67... Follow through from their distance at time 8s <br> Cao |
|  |  |  |  | [6] |  |
|  | (ii |  | Substituting $t=8$ gives $v=\frac{5}{2} \times 8-\frac{1}{8} \times 8^{2}=12$ | B1 <br> [1] |  |


| Question |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: |
| 1 | (iii) | $\begin{aligned} & \text { Distance }=\int_{0}^{12}\left(\frac{5 t}{2}-\frac{t^{2}}{8}\right) \mathrm{d} t \\ & {\left[\frac{5 t^{2}}{4}-\frac{t^{3}}{24}\right]_{0}^{12}} \\ & {[180-72] \quad(-[0])} \\ & 108 \mathrm{~m} \end{aligned}$ | M1 <br> A1 <br> M1 <br> A1 <br> [4] | Integratin $v$. Condone no limits. <br> Condon no limits <br> Substituting $t=12$ |
|  | (iv) | Model P: distance at $t=11.35$ is 96.2 Model Q: distance at $t=11.35$ is $\left[\frac{5 t^{2}}{4}-\frac{t^{3}}{24}\right]_{0}^{1135}=100.1$ <br> Model Q places the runner closer | B1 <br> M1 <br> E1 <br> [3] | Ca <br> Substituting 11.35 in their expression from part (iii) <br> Cao from correct previous working for both models |
|  | (v) | Model P: Greatest acceleration $\frac{8}{4}=2 \mathrm{~m} \mathrm{~s}^{-2}$ Model Q: $a=\frac{\mathrm{d} v}{\mathrm{~d} t}=\frac{5}{2}-\frac{t}{4}$ <br> Model Q: Greatest acceleration is $2.5 \mathrm{~m} \mathrm{~s}^{-2}$ | B1 <br> M1 <br> A1 <br> B1 <br> [4] | Differentiating $v$ <br> Award if correct answer seen |

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|  |  | mark | note |
| :---: | :---: | :---: | :---: |
| 2(i) |  | $\begin{array}{r} \text { B1 } \\ \text { B1 } \\ \quad 2 \\ \hline \end{array}$ | Section from $t=10$ to $t=15$ <br> Section from $t=15$ to $t=20$. FT connecting from their point when $t=15$. Ignore graph outside $0 \leq t \leq 20$. |
| (ii) | $\begin{aligned} & \frac{-6-14}{10}=-2 \\ & \text { so }-2 \mathrm{~m} \mathrm{~s}^{-2} \end{aligned}$ | $\begin{aligned} & \mathrm{M} 1 \\ & \mathrm{~A} 1 \\ & 2 \end{aligned}$ | Attempt at $\frac{\Delta v}{\Delta t}$ |
| (iii) | either <br> Displacement is $\frac{14}{2} \times 7-\frac{13+5}{2} \times 6$ <br> or $\frac{14}{2} \times 7-\frac{3 \times 6}{2}-5 \times 6-\frac{5 \times 6}{2}$ $=-5$ so 5 m downwards | $\begin{aligned} & \text { M1 } \\ & \text { B1 } \\ & \text { B1 } \\ & \text { A1 } \end{aligned}$ | FT misread from graph or graphing error to all but final A1 cao Attempt at whole area. Condone 'overlap' but not 'gaps'. 'Positive' area expression correct. Condone sign error. <br> ‘Negative’ area expression correct. Condone overall sign error. Accept -5 m cao |


| or <br> Displacement is <br> $14 \times 10+\frac{1}{2} \times(-2) \times 10^{2}-5 \times 6+\frac{-6+0}{2} \times 5$ | M1 | Asing suvat from 0 to 10 or 15 to 20. Condone 'overlap' but not 'gaps' |  |
| :--- | :--- | :--- | :--- |
| $=140-100-30-15=-5$ | A1 |  |  |
| so 5 m downwards | A1 | Subtracting 30 or 15 or 45 <br> Accept -5 m cao |  |
|  |  | 4 |  |


| 3 (i) | $\begin{aligned} & 0<t<2, v=2 \\ & 2<t<3.5 v=-5 \end{aligned}$ | $\begin{aligned} & \text { B1 } \\ & \text { B1 } \end{aligned}$ | Condone '5 downwards' and ' - 5 downwards’ | 2 |
| :---: | :---: | :---: | :---: | :---: |
| (ii) |  | B1 | Condone intent - e.g. straight lines free-hand and scales not labelled; accept non-vertical sections at $t=2 \& 3.5$. <br> Only horizontal lines used and $1^{\text {st }}$ two parts present. <br> BOD $t$-axis section. One of $1^{\text {st }} 2$ sections correct. FT (i) and allow if answer correct with (i) wrong All correct. Accept correct answer with (i) wrong. FT (i) only if $2^{\text {nd }}$ section -ve in (i) |  |
| (iii) | (A) upwards; (B) and (C) downwa | E1 | All correct. Accept +/- ve but not towards/away from O <br> Accept forwards/backwards. Condone additional wrong statements about position. |  |
|  |  |  |  | 1 |
|  |  |  |  | 5 |


|  |  | Mark | Comment | Sub |
| :--- | :--- | :--- | :--- | :--- |
| 4(i) | When $t=2$, velocity is $6+4 \times 2=14$ | A1 | Recognising that areas under graph represent <br> changes in velocity in (i) or (ii) or equivalent <br> uvast. |  |
| (ii) | Require velocity of -6 so must inc by -20 <br> $-8 \times(t-2)=-20$ so $t=4.5$ | M1 | FT $\pm(6+$ their 14) used in any attempt at area/ <br> uvast <br> FT their 14 <br> [Award SC2 for 4.5 WW and SC1 for 2.5 WW$]$ | 2 |
|  |  | 4 |  | 2 |

